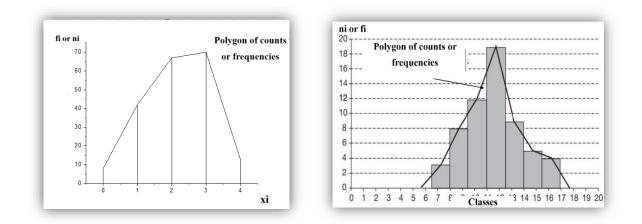
A.2.2.3 Polygon:

The polygon (counts or frequencies) is made from the bar chart or histogram. It is a broken line which joins the upper points of the bars or the midpoints of the upper sides of the successive rectangles of the histogram.



a. Discrete variable

b. Continuous variable

- For the discrete variable, the polygon of counts or frequencies starts at the top of the stick of the first value (x1) and ends with the top of the stick of the last value (xf).
- For the continuous variable, the polygon of counts or frequencies begins with:
 - Equal Class sizes: We start and end the polygon with (a/2) and the widths of the bars are equal.
 - Unequal Class sizes: We start the polygon with (a1/2) and end it with (af/2) and the widths of the bars are unequal.

A.2.2.4 Cumulative curves :

a) Discrete variable :

For a discrete variable the cumulative curve of frequencies or counts is represented by steps (stairs) curve. It's a continuous curve on the left.

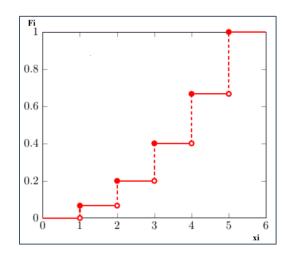


Figure. 2.7: Increasing cumulative curve for discrete variable.

Example 20:

Length (m) X	71	74	77	80	83	Total
Counts (ni)	6	17	41	27	9	100
Cumulative Count (Ni)	6	23	64	91	100	
Frequencies (fi)	0.06	0.17	0.41	0.27	0.09	1
Cumulative frequencies (Fi)	0.06	0.23	0.64	0.91	1	

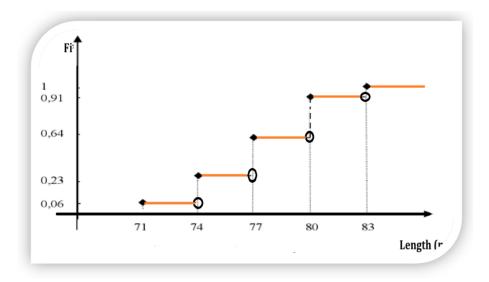


Figure. 2.8: Increasing frequencies cumulative curve for the variable length.

b) Continuous variable:

The cumulative curve of a continuous variable is obtained by plotting the points whose x-coordinates represent the upper bound of each class and the y-coordinates the corresponding cumulative frequencies or counts, and then connecting these points by line segments.

The cumulative count curve can be thought of as the graph of a function, called the cumulative count function and designated by N(x), defined on **R** and with values in the interval [0, n].

$$\begin{array}{rccc} N: & \mathbb{R} & \rightarrow & [0,n] \\ & x & \mapsto & N(x) \end{array}$$

Similarly, the cumulative frequency curve can be thought of as the graph of a function, called the **cumulative frequency function** and denoted by F(x), defined on **R** and with values in the interval [0, 1].:

$$\begin{array}{rccc} F: & \mathbb{R} & \rightarrow & [0,1] \\ & x & \mapsto & F(x) \end{array}$$

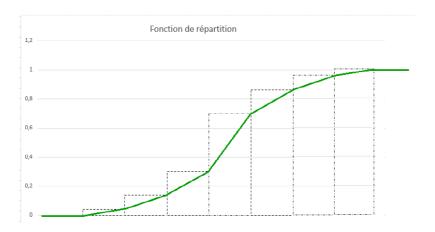


Figure. 2.9: Increasing cumulative curve for continuous variable.

Example 21:

We consider the age of the inhabitants of a neighborhood.

Classes	[11-15[[15-25[[25-30[[30-37[[37-50]		Total
ni (Counts)	20	10	5	15	10		60
Ni (Cumulative Count)	20	30	35	50	60		
fi (Frequencies)	0.34	0.17	0.08	0.25	0.16		1
Fi	0.34	0.51	0.59	0.84	1		
<i>Fi(x)</i> 0	0.34	0.51	0.59	0.84		1	

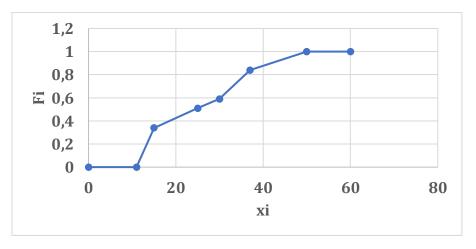


Figure. 2.10: Increasing frequencies cumulative curve.